

Simulations of ion beams using Geant4 and Fluka Monte Carlo codes

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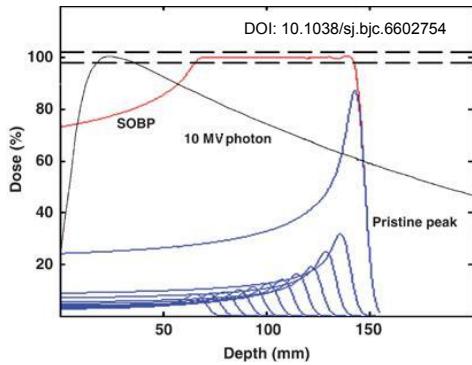
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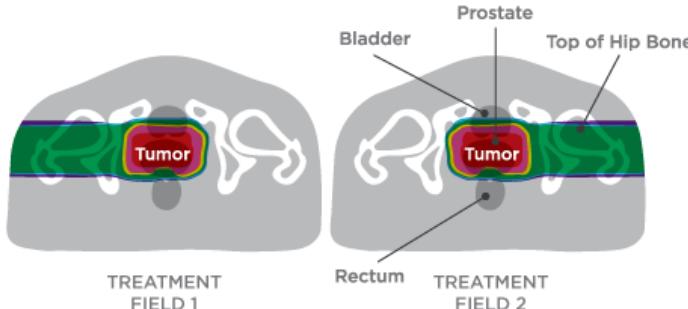


Cancer treatment by hadron therapy

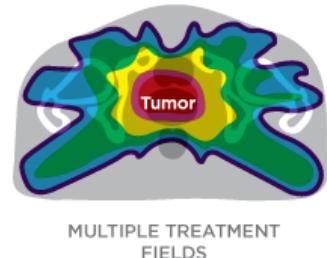


Depth-dose distribution of ions with initial energies 20-300 MeV results in **Bragg peak** curve

PROTONS



CONVENTIONAL RADIATION

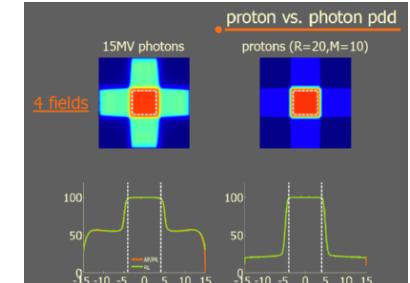


These images show the areas exposed to radiation during treatment.

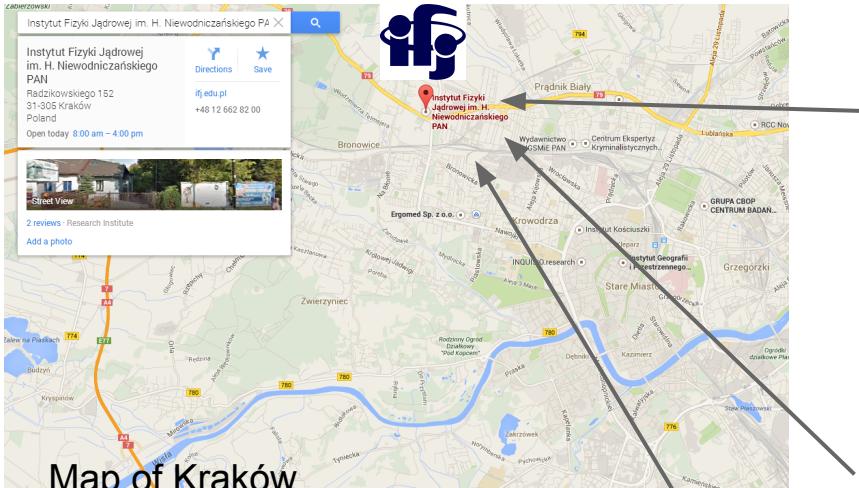
LESS RADIATION MORE RADIATION

http://provisionha.com/images/uploads/multi_site/ProstateCancer_graphic.png

Golden rule of radiotherapy:
to **minimize** the radiation dose to normal tissues while **maximizing** the radiation dose to the target volume.



Cyclotron Centre Bronowice



<http://www.dziennikpolski24.pl/artykul/2944382.protonami-w-nowotwory.id.t.html>

cyclotron AIC-144

60 MeV protons
80 nA intensity
2.9 cm range in water (max)

eye tumours treatment
isotope production



http://www.ifj.edu.pl/ccb/img/cyklotron_Proteus235

cyclotron Proteus C-235

230 MeV protons
600 nA intensity
33 cm range in water

eye tumours treatment
gantry (x2): any tumor location
experimental cave

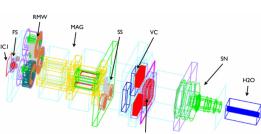


two robotic
gantry arms,
scanning
beam



fot. M. Płaszkiewicz

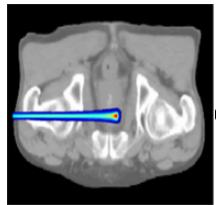
Why do we need a physical beam model ?



optimization of beam scattering system



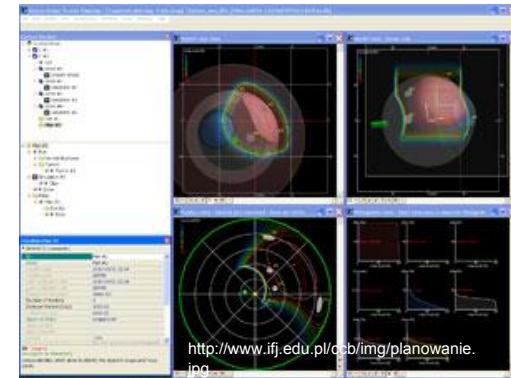
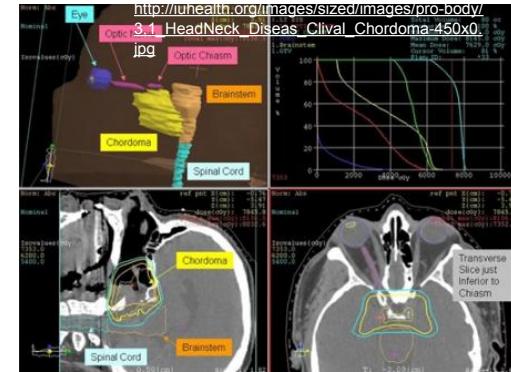
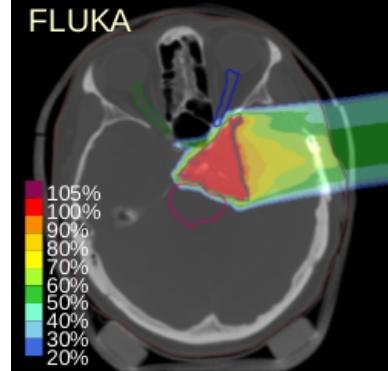
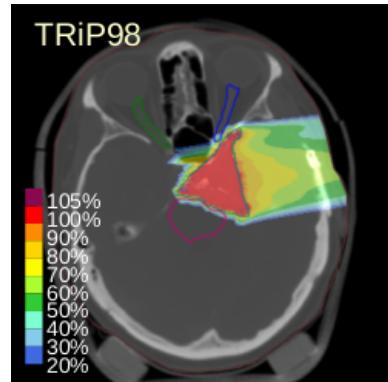
patient shielding design and verification



verification of treatment plans



simulation of experiments
(TLD, alanine)



Monte Carlo Simulation of a proton beam

Aim:

simulate proton beam:

- dose and fluence profiles
(depth, lateral)
- complex geometry

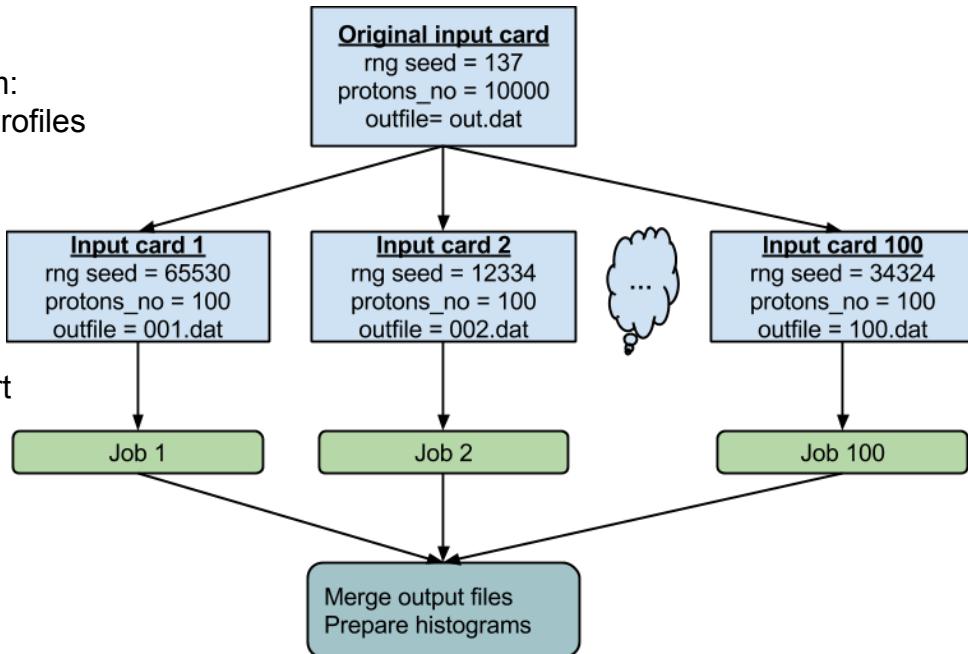
Tools:

Monte Carlo transport codes:

- Fluka 2011.2
- Geant4.96

Results:

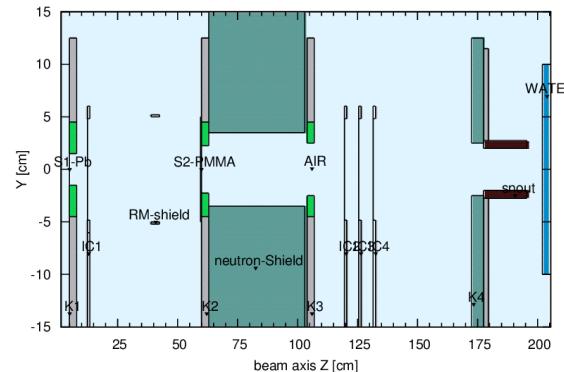
(following page))



Parallelization procedure



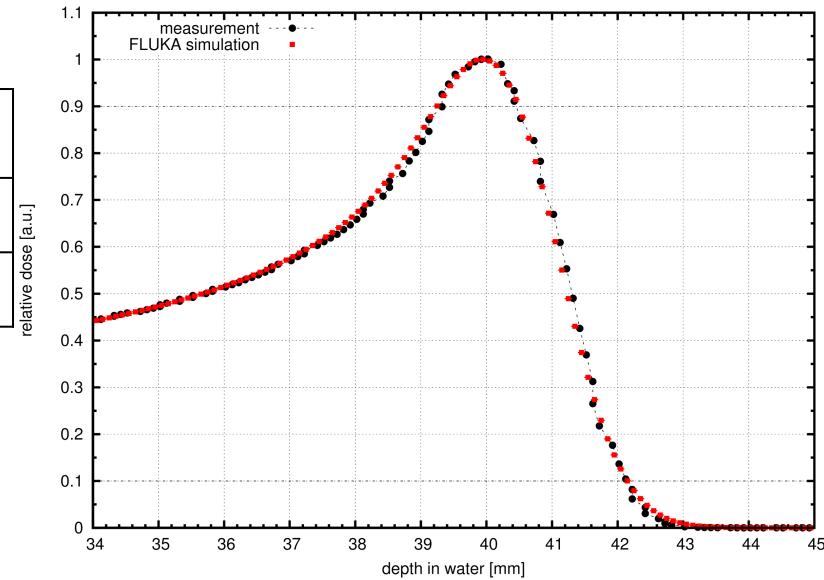
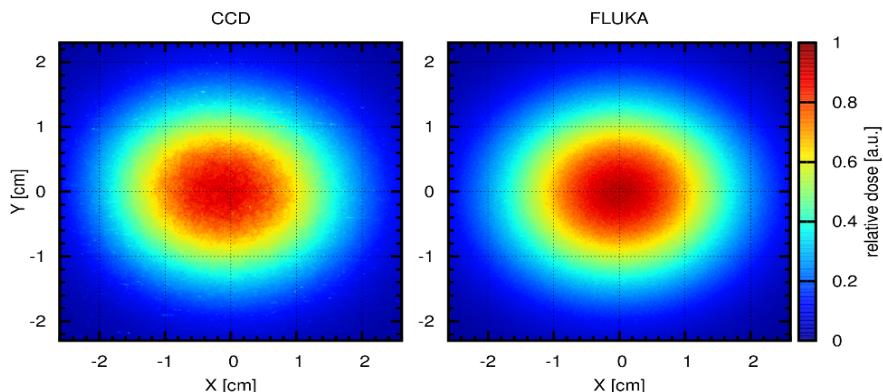
Eye-line scattering system in the treatment room (top) and defined in simulation geometry (bottom)



Monte Carlo simulation of a 70 MeV proton beam

Parallelization of an exemplary simulation scenario:

No of protons x No of jobs	Mean calc. time	Result error
$2.0 \times 10^5 \times 5$	10 min/job	15%
$5.5 \times 10^6 \times 25$	120 min/job	1%



Measured depth-dose distribution (black) compared with FLUKA results (red)

CCD beam image (left) compared with FLUKA results (right)

Monte Carlo simulation of a carbon beam

Aim:

scoring beam characteristic
in liquid water

- dose (vs depth)
- fluence (vs depth)
- energy-fluence
spectra of all ions
(vs depth)

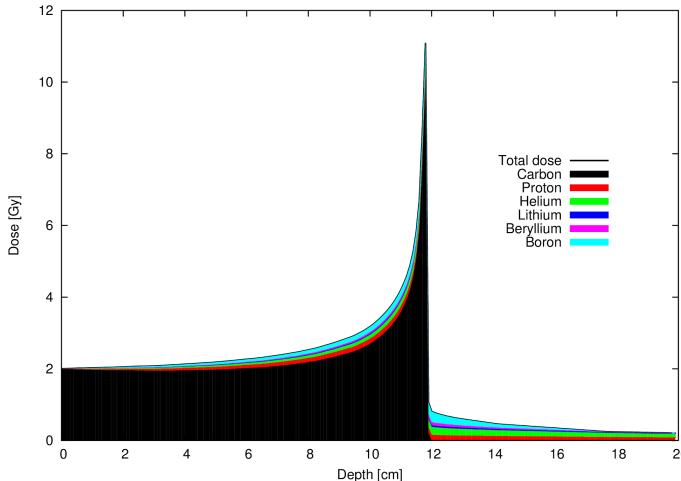
Tools:

Monte Carlo transport
codes

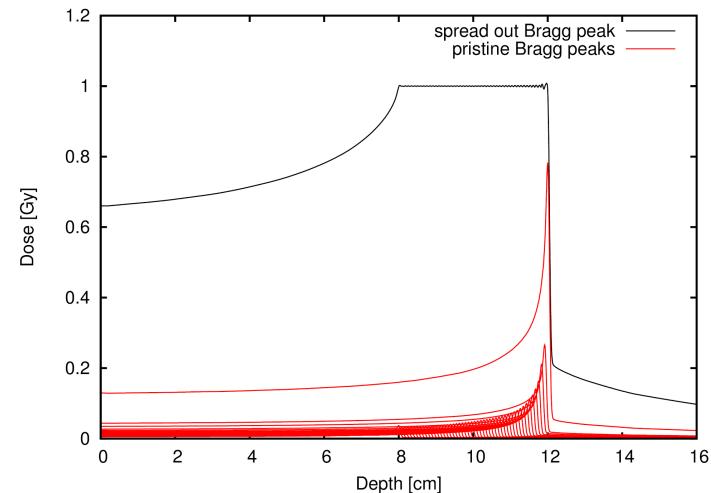
- SHIELD-HIT10
- Geant4.96

Results:

database of 45 beam
profiles for initial energies
between 50 and 400
MeV/amu



Dose vs depth of a carbon beam of 270 MeV/amu
initial energy and of beam fragments.



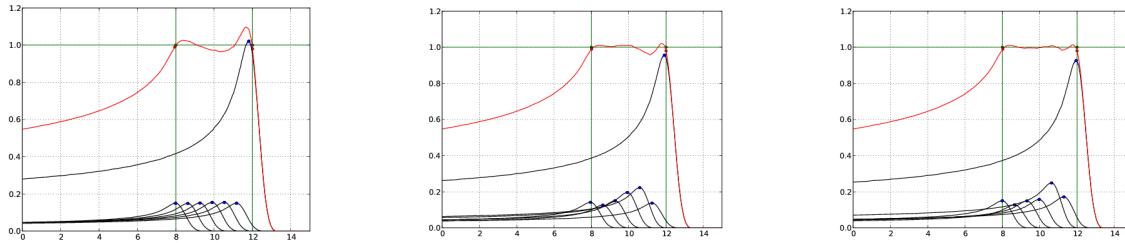
Flat depth-dose distribution over 8-12 cm depth
range obtained by summation of 49 pristine carbon
beams with different initial energies and fluences.

No of particles	Total calc. time	Number of nodes
10^4	10 min	1
10^8	70 days	1
10^8	17 hours	100

Optimization of the depth dose distribution:

Aim:

find the initial energies and intensities of the beamlets which, superimposed, produce a given depth-dose (depth-survival) profile



First three steps of the dose profile optimization algorithm.

Tools:

optimization package included in the libamtrack library (python,C)

Results:

several projects of beam shaping elements
depth-dose and depth-survival profiles
(radiobiological experiment)

Pristine beams superposition:

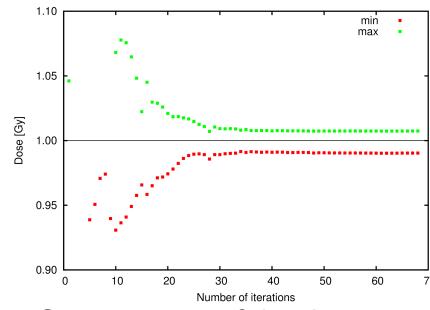
$$f(x; p_1, \dots, p_m, h_1, \dots, h_m) = \sum_{i=1}^m h_i f(x; p_i)$$

Objective function:

$$M = \sum_{j=1}^n \left(f(x_j; p_1, \dots, p_m, h_1, \dots, h_m) - g(x_j) \right)^2$$

Gradient of objective function:

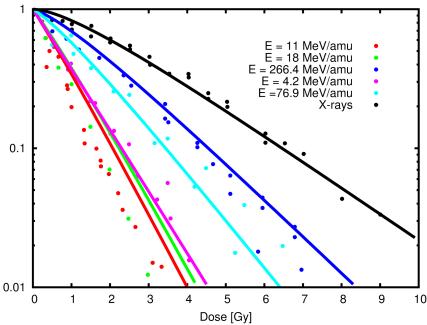
$$\frac{\partial M}{\partial h_i} = \sum_{j=1}^m 2 \left(\sum_{i=1}^m h_i f(x_j; p_i) - g(x_j) \right) f(x_j; p_i)$$



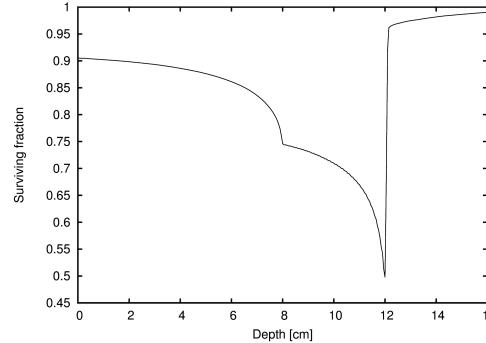
Convergence of the dose profile optimization algorithm.



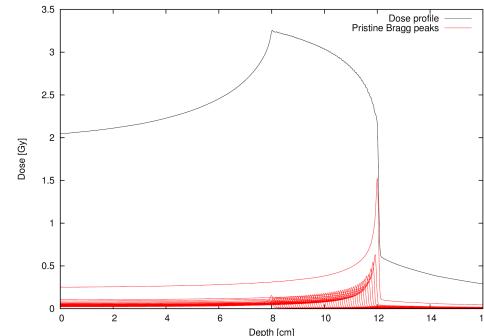
Modelling of biological effect: carbon beams



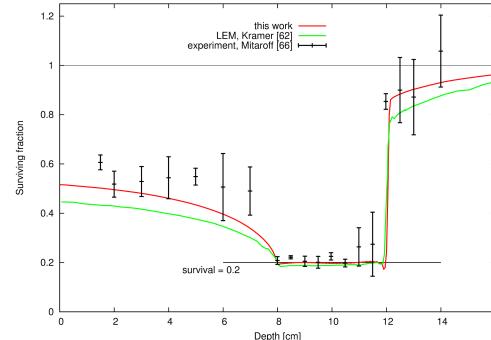
1. Cell survival at given dose depends on the particles energy



2. Constant dose level of carbon ions leads to non-uniform cell survival



3. Specific depth-dose distribution is needed to obtain constant biological effect of carbon ions



4. Predicted cell survival profile stays in agreement with experimental results

Questions, comments ?



[http://naukawpolsce.pap.pl/fotogalerie/
gallery.57.montaz-cyklotron-proteus-c-235.html](http://naukawpolsce.pap.pl/fotogalerie/gallery.57.montaz-cyklotron-proteus-c-235.html)

<http://www.ifj.edu.pl/ccb/>

<https://libamtrack.dkfz.de/>



Thank you and we ask for more !!!